## 4.1 Solving by Graphing

Linear equations have degree \_\_\_\_ and have \_\_\_ or less solutions

e.g. 
$$2x - 10 = 0$$

Linear functions have degree \_\_\_\_ and have \_\_\_ or less x intercept s\_\_\_.

e.g. 
$$y = 2x - 10$$

$$x \text{ inf } = 5$$
(i.e. where  $x = 0$ )

Link the Ideas: p. 208

• the root(s) of an equation are the answers for the eg =

• the root(s) of a function are (x, y) points that satisfy the for

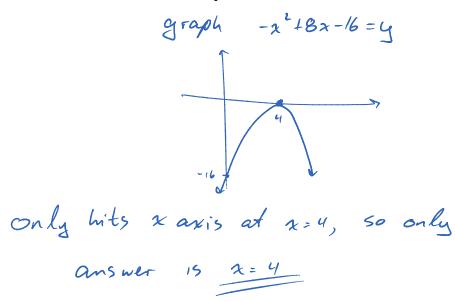
• the zeros(s) of a function are the x intercepts of the fa, which turn out to be the roots of the ego.

It then follows that a *quadratic equation* has degree \_\_\_\_ and can have\_\_\_\_ 2 or less \_\_\_\_ answers

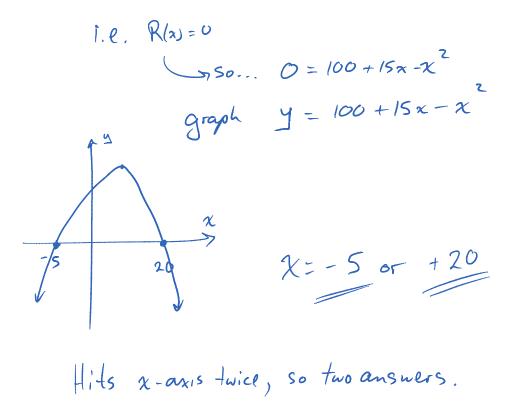
e.g. solve for x: 
$$x^2 + x = 6$$
  
 $x = 2^{2}$   $2^{2} + 2 = 6$   
 $x = 1^{2}$   $1 + 1 = 6 \times 2$   
 $x = 3^{2}$   $9 + 3 = 6 \times 2$   
 $x = 3^{2}$   $9 + 3 = 6 \times 2$   
 $x = 3^{2}$   $9 + 3 = 6 \times 2$ 

We have studied *quadratic functions*, and as stated above, the roo + s of the *quadratic equation* should be the roo + s of the *quadratic function*.

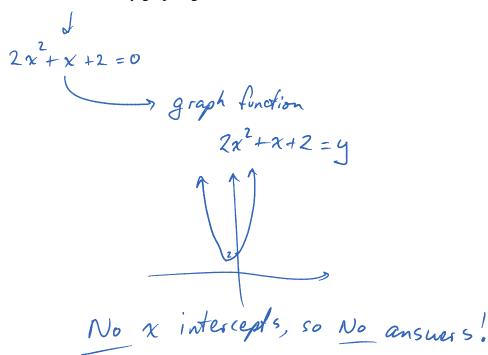
**Example 1:** p. 208 - What are the roots of the equation  $-x^2 + 8x - 16 = 0$ ?



**Example 2:** p. 210 If the function  $R(x) = 100 + 15x - x^2$  gives the store's revenue from dress sales, what price changes will result in no revenue?

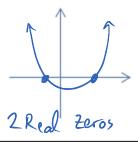


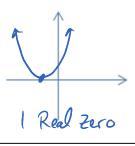
## **Example 3:** - p. 212 Solve $2x^2 + x = -2$ by graphing

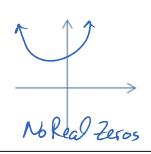


## Key Ideas:

- The <u>roots</u> of a quadratic equation are the <u>Zeros</u> of the corresponding quadratic function.







**Assignment:** p. 215 # 1, 3, 5, 7, 10, 13